How to use cvc5 Effectively

Andrew Reynolds

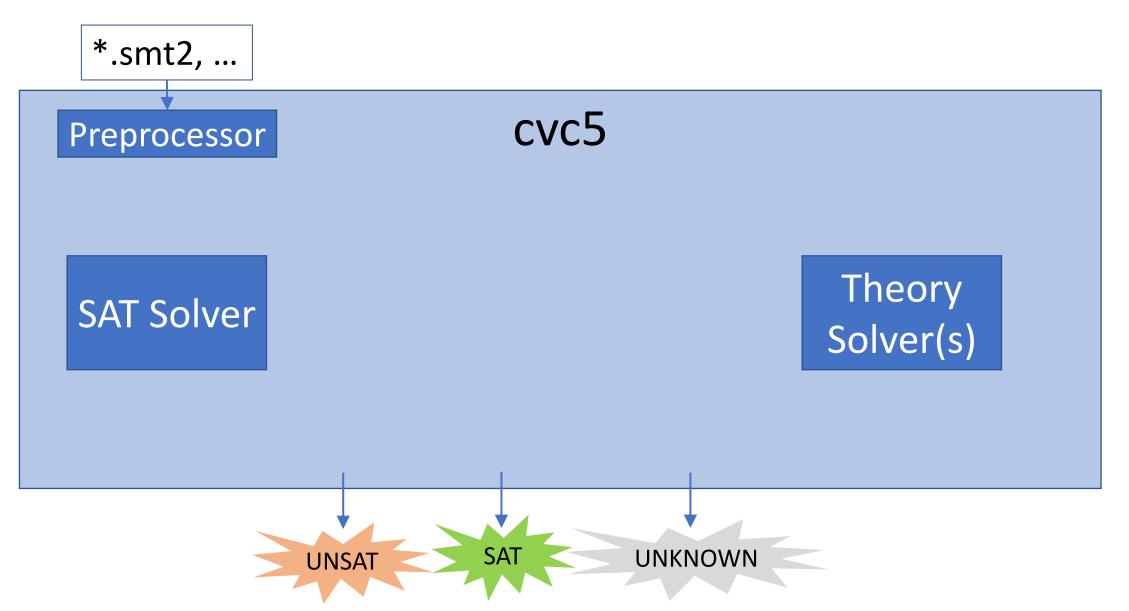
September 28, 2023



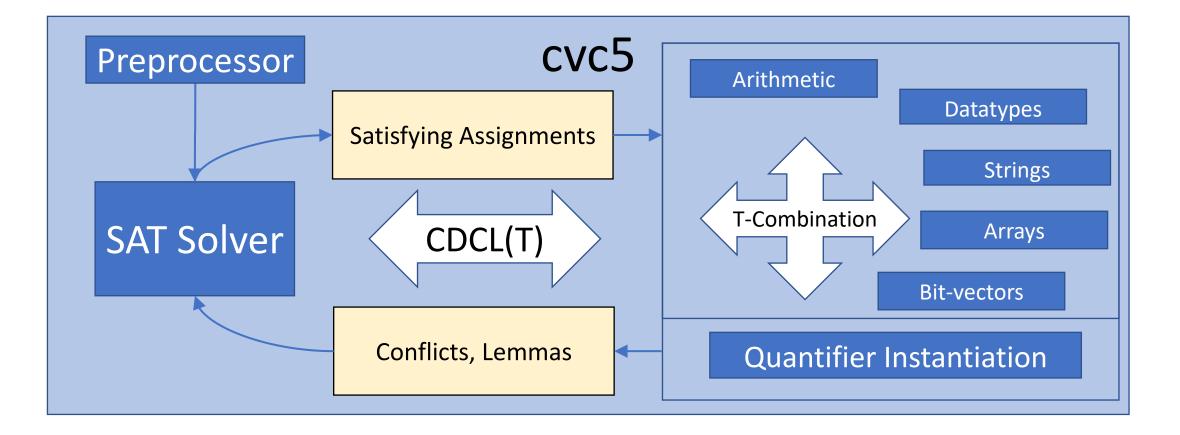
Overview

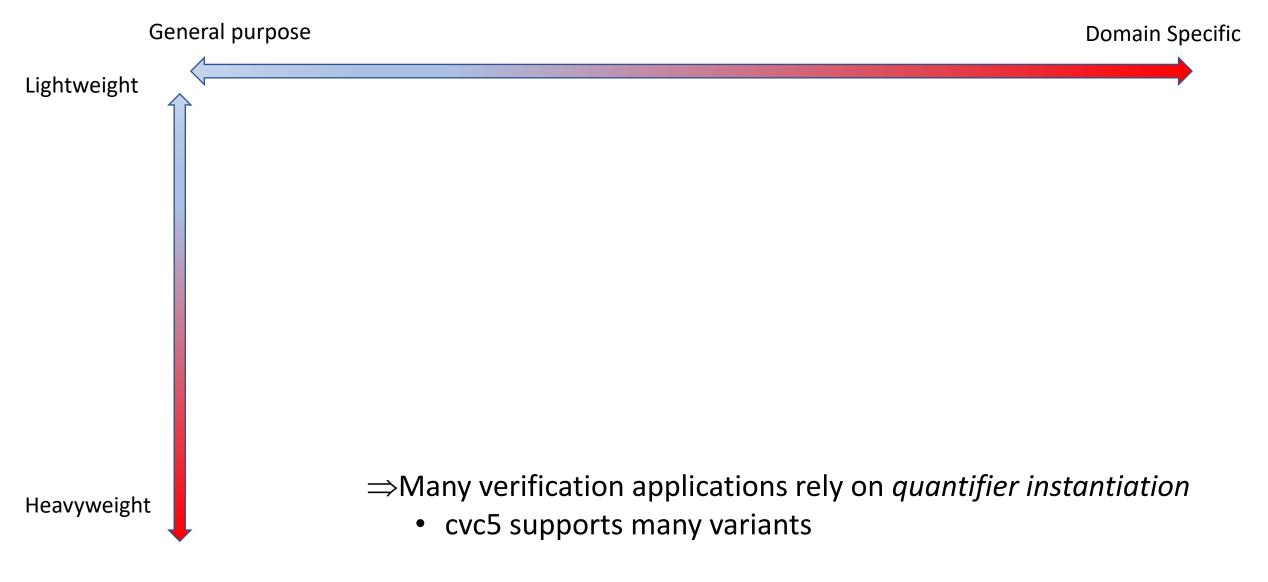
- cvc5: a state-of-the-art SMT solver for verification
 - Supports many techniques for quantified formulas
 - Combined with a wide array of theory solvers
- Interfaces for when things go *right*
- Interfaces for when things go wrong

Architecture of cvc5

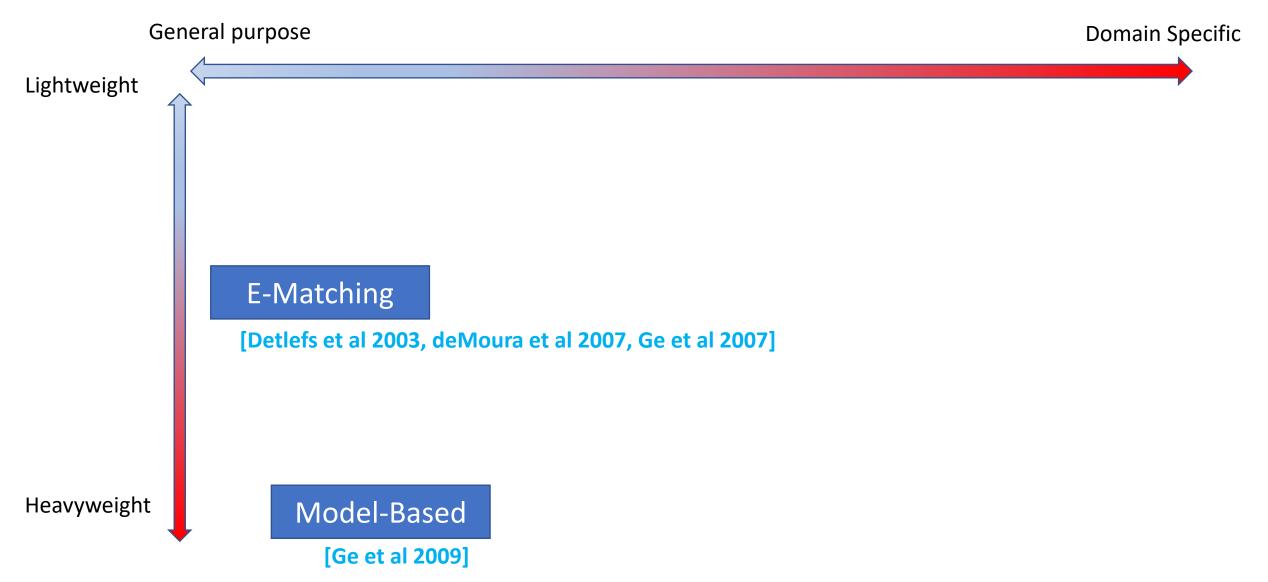


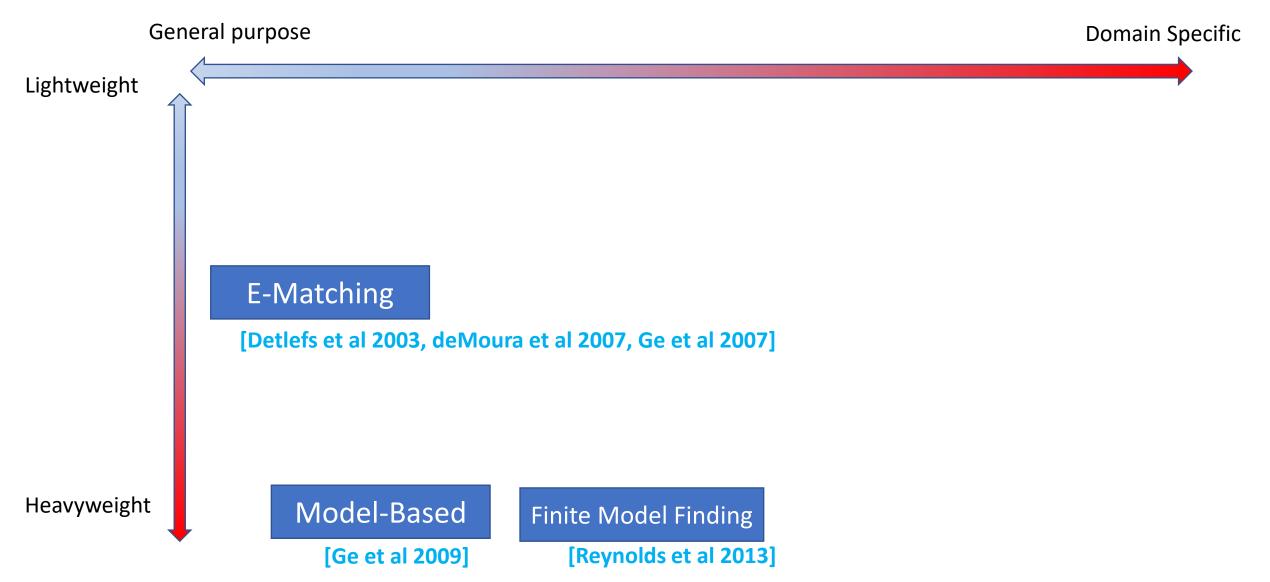
Architecture of cvc5

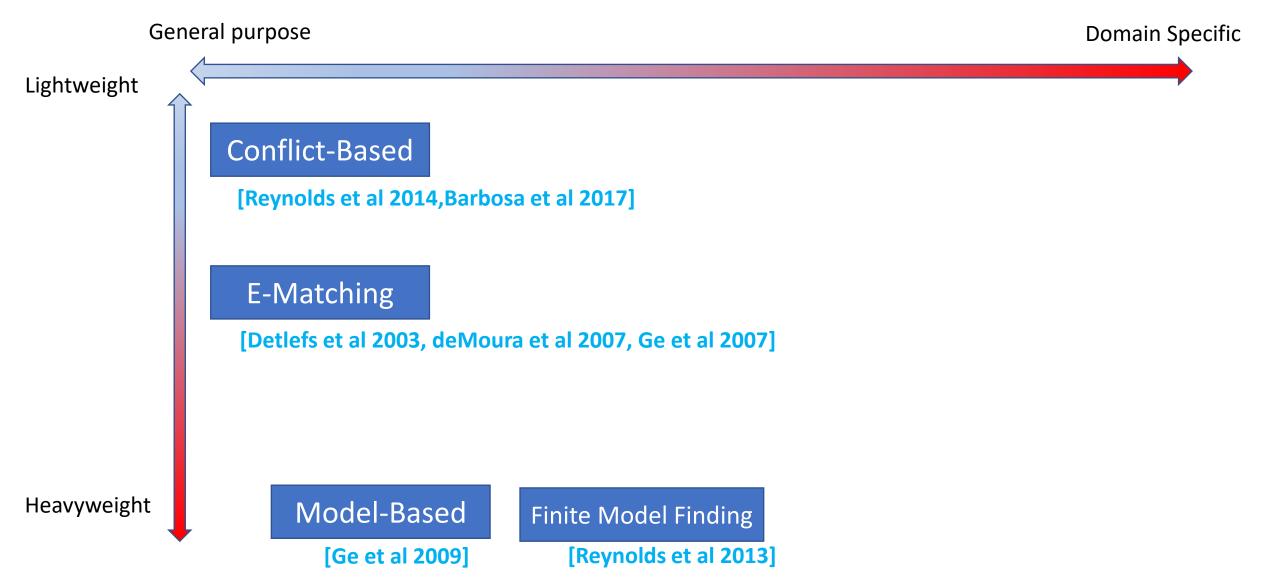


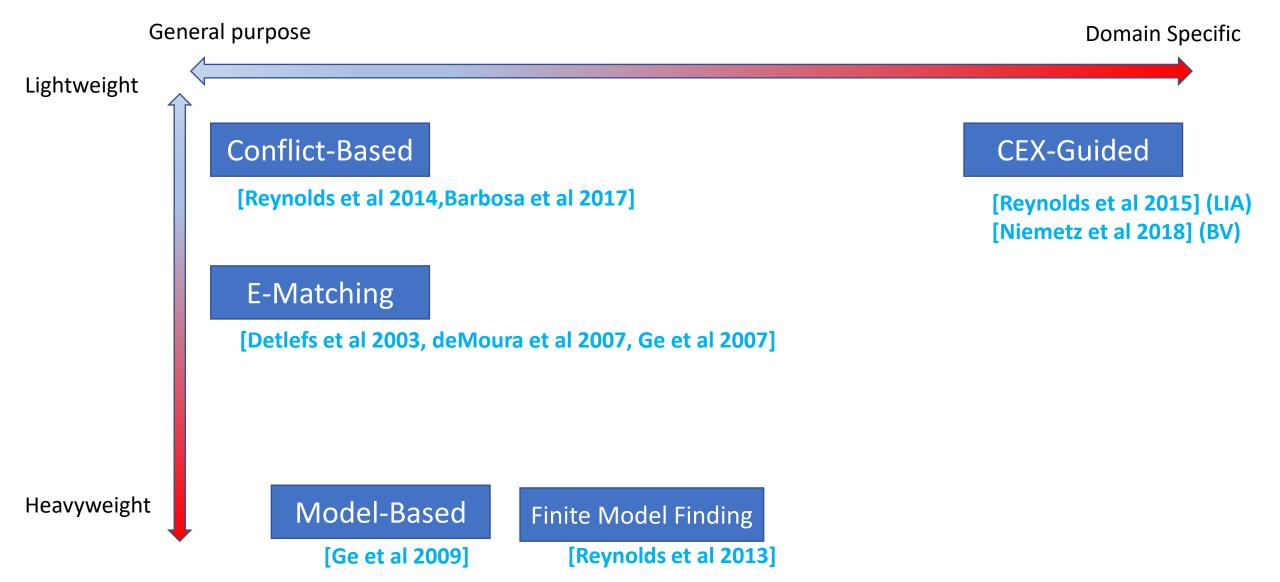


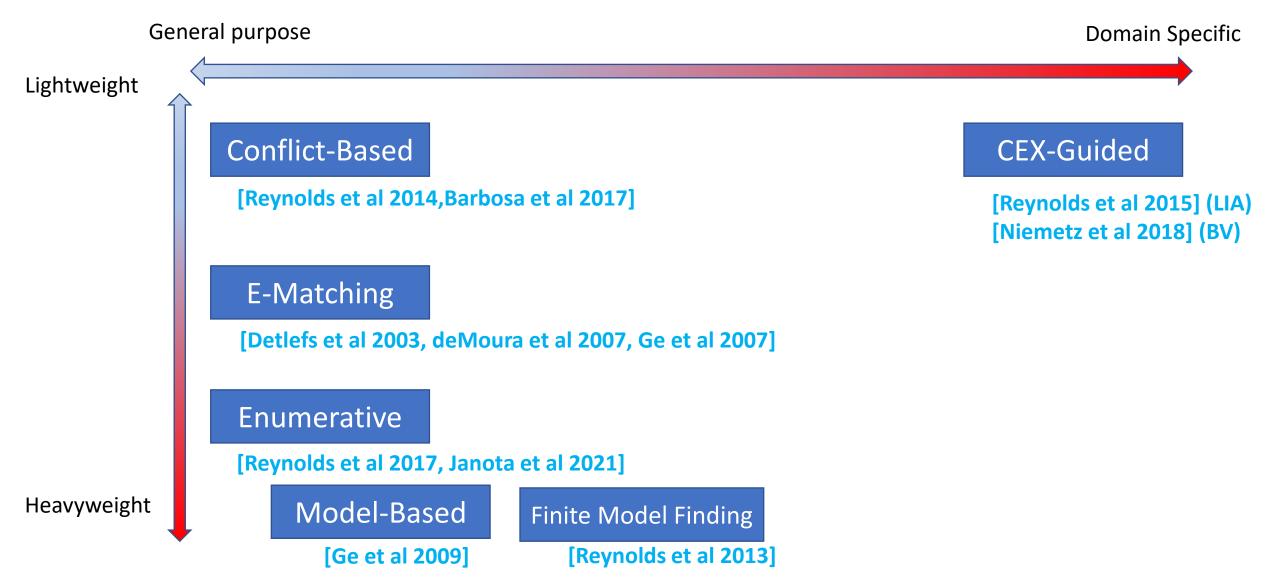


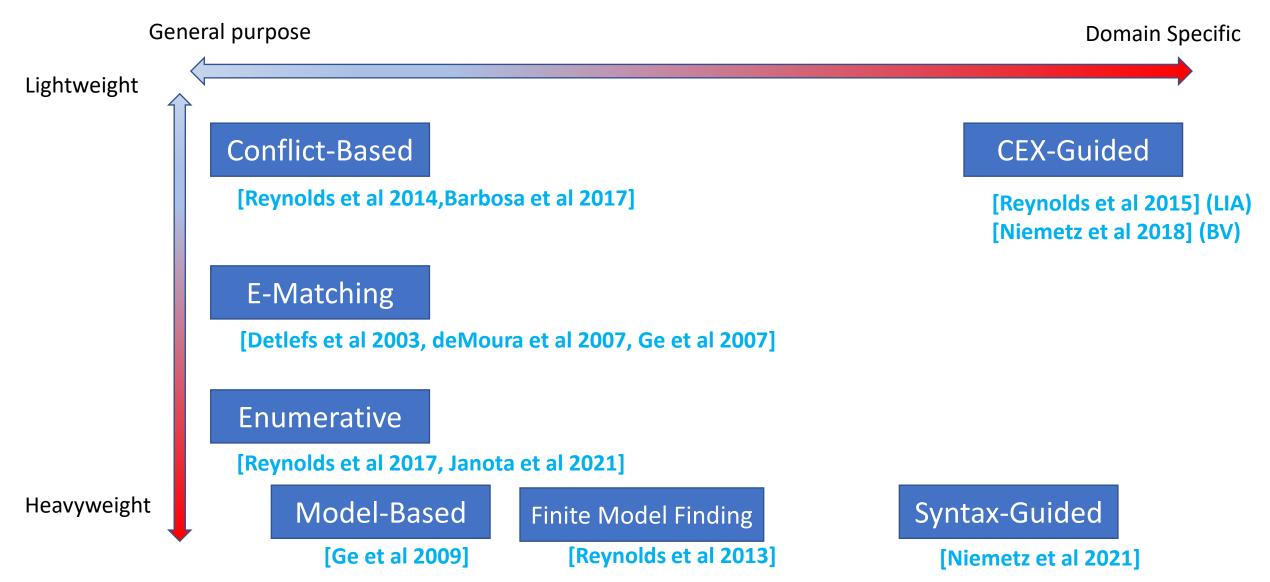


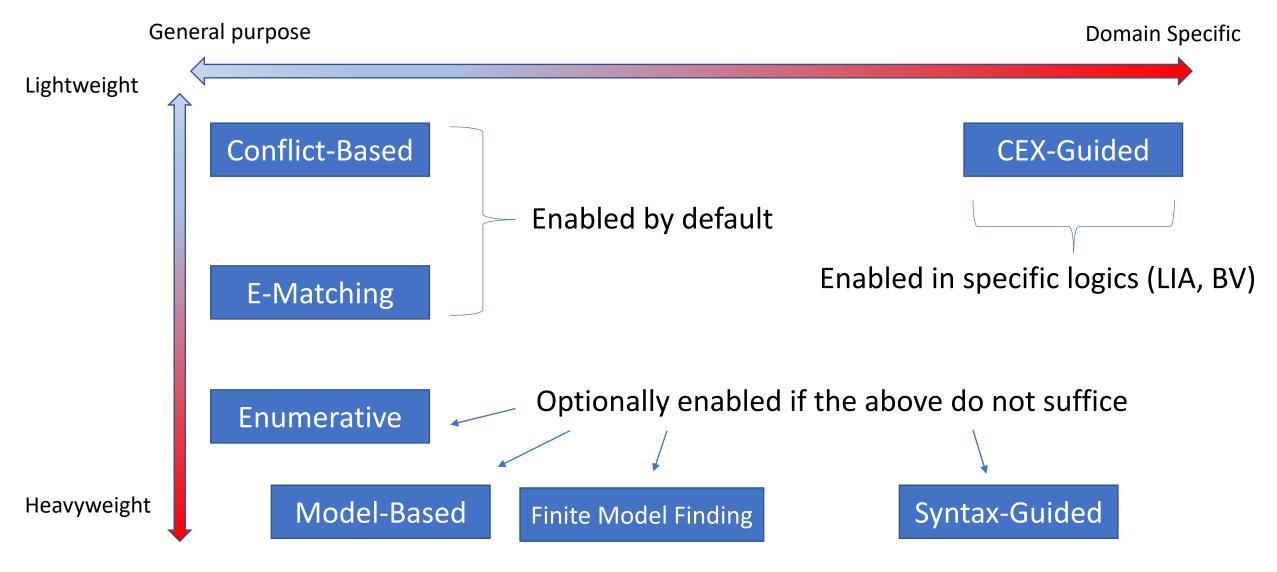












Theory Solvers supported in cvc5

- Support for many theories
 - Arithmetic, Bit-vectors, Arrays, Datatypes, Floating-Points, Strings
 - Extended: Sets, Sequences, Multisets, Finite Fields
- The use of theories can avoid (some) use of quantified formulas, see:
 - (Co)datatypes [Reynolds et al CADE 2015]
 - Relations [Meng et al CADE 2017]
 - Sequences [Shing et al IJCAR 2022]
 - \Rightarrow If you have a new problem domain, we can add custom support for it

cvc5: Interfaces for When Things go *Right* i.e. when the solver says "sat" or "unsat"

- get-model
 - What is the counterexample to the theorem?
 - Can be refined to only include relevant assignments get-model-core
- get-unsat-core
 - What are the necessary assertions for proving this theorem?
 - Can be minimized via option --minimal-unsat-core
 - Finer-grained versions get-instantiations
- get-proof
 - What is the precise reasoning for proving the theorem?

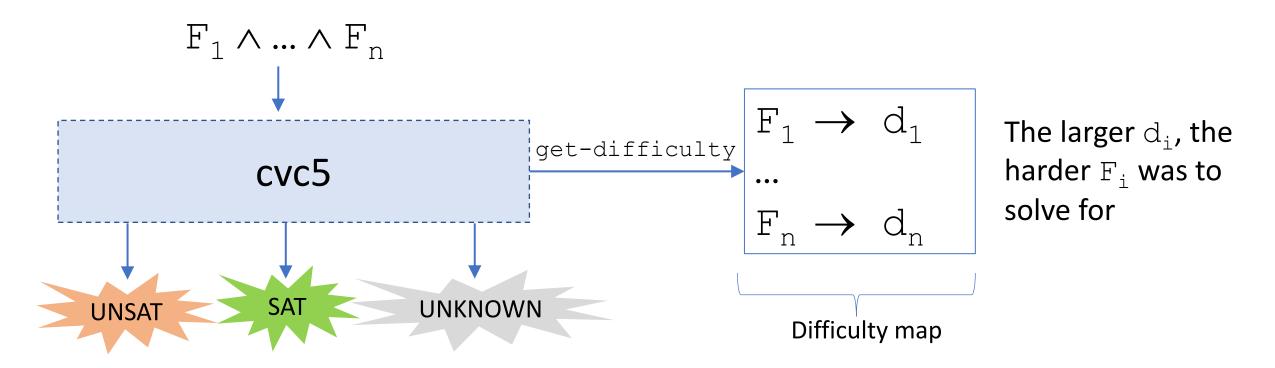


cvc5: Interfaces for When Things go *Wrong* i.e. when the solver says "unknown" or times out

- get-model
 - What is a candidate counterexample to this theorem?
 - Available even when the solver times out or gives up
- get-difficulty
 - Which assertions where the reason why this problem was hard?
- get-timeout-core
 - Which assertions suffice to make the solver time out again?
- get-learned-lits
 - What immediate formulas were learned during solving?
- External tools for delta-debugging e.g. ddSmt [Kremer et al 2020]

Difficulty Estimation

• When cvc5 can't solve an input, can we estimate *why* it was difficult?



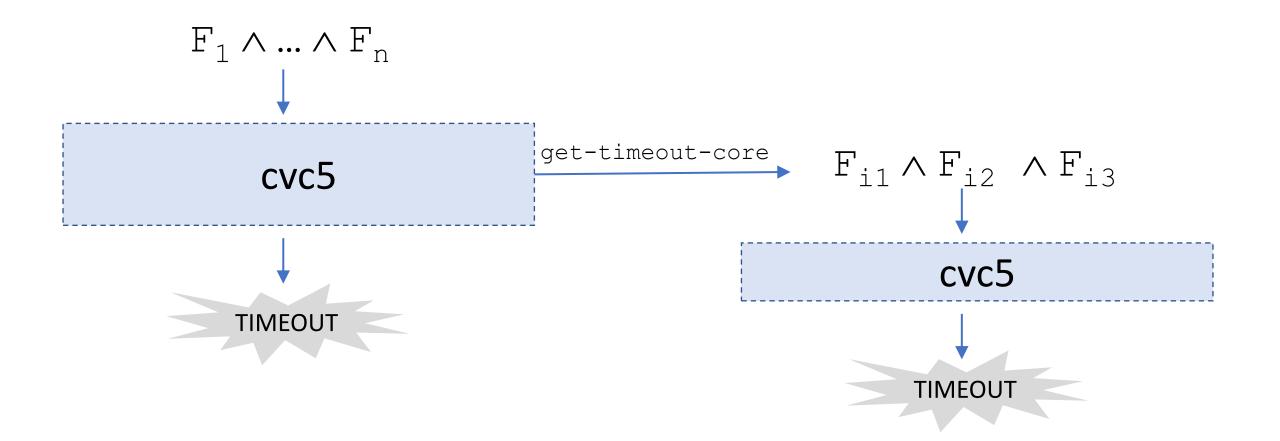
Difficulty Estimation

- Given input ${\rm F_1} \wedge ... \wedge {\rm F_n}$
 - Model-based:
 - When a candidate model ${\ensuremath{\mathbb M}}$ is constructed
 - Increment difficulty measure for each \mathbb{F}_{ij} that \mathbb{M} does not satisfy
 - Conflict-based:
 - When a conflict clause ($l_1 \lor ... \lor l_n$) is raised
 - For each literal l_i , increment difficulty measure for the F_j s.t. $F_j \models \neg l_i$



Timeout Cores

• Given a timeout, can we construct a smaller problem cvc5 also cannot solve?



Timeout Cores

- To compute a timeout core for $F = \{F_1, \dots, F_n\}$:
 - Maintain an (initially empty) set of models ${\rm M}$
 - Maintain an (initially empty) set of formulas $\mathbb{C} \subseteq \mathbb{F}$ such that
 - Each model in ${\mathbb M}$ does not satisfy at least one formula in ${\mathbb C}$
 - Repeat:
 - If ${\mathbb C}$ is unsat
 - Report that ${\mathbb F}$ is unsat, ${\mathbb C}$ is an unsat core of ${\mathbb F}$
 - If $\ensuremath{\mathbb{C}}$ makes the solver timeout
 - Report that ${\rm C}$ is a timeout core of ${\rm F}$
 - If ${\rm C}$ is sat with model ${\rm m}$
 - If m satisfies ${\rm F}$
 - Report that $\mathbb F$ is sat
 - + Else, add m to M, add some ${\tt F}_{\pm}$ to C s.t. m does not satisfy ${\tt F}_{\pm}$, refine C

 $\mathbf{D} \in \mathbf{N}$

- SMT solver cvc5 is
 - Efficient tool widely used in applications
 - Handles many problem domains
 - Many interfaces for when things go right (or wrong)
- Questions?

